

Short-term photovoltaic power generation prediction based on VMD-MSI-GWO-KELM

Xiuting Li

North China Electric Power University (Baoding), Baoding, China

xiuting.li@foxmail.com

Abstract. To improve the accuracy of photovoltaic power prediction, a combined prediction model integrating multiple algorithms is proposed. First, key factors are selected, and the Gaussian Mixture Model (GMM) is used to cluster and generate historical days with high correlation to the forecast day. Then, a photovoltaic power prediction model based on Variational Mode Decomposition (VMD) and an improved Grey Wolf Optimizer Kernel Extreme Learning Machine (MSI-GWO-KELM) is constructed. Finally, actual data from a photovoltaic power station in Australia is used as a case study. The results show that the VMD-MSI-GWO-KELM model is suitable for different weather conditions and offers better prediction accuracy than other models.

Keywords: photovoltaic power prediction, GWO, KELM, VMD

1. Introduction

As environmental pollution and global warming issues become increasingly severe, energy problems have become more prominent. The effective utilization of clean energy, such as solar energy, has become more important. Photovoltaic (PV) power generation, as one of the main methods of utilizing solar energy, had an installed capacity of 102.48 GW by the end of June 2024, with a broad development prospect [1]. However, photovoltaic power generation is characterized by strong intermittency and significant fluctuation, and it is affected by various environmental factors such as humidity, temperature, and radiation. This can bring adverse effects to the planning, scheduling, and operation of the power grid, such as decreased grid stability and increased scheduling difficulty. Therefore, improving the accuracy of photovoltaic power prediction plays a crucial role in optimizing the operation and maintenance of photovoltaic power stations and enhancing the reliability of grid operation [2].

In order to achieve more accurate predictions, most research focuses on artificial intelligence techniques, often using combined models of neural networks and Kernel Extreme Learning Machines (KELM) for forecasting [3]. For example, Feng Jianming et al. optimized neural network parameters based on the Osprey Optimization Algorithm [4], and Yao Qincai et al. proposed a model based on the integration of an improved fully adaptive noise ensemble empirical mode decomposition to optimize neural network prediction models [5]. Meng Yikang et al. proposed a combination prediction model of photovoltaic output using principal component analysis and long short-term memory neural networks [6], but neural network algorithms have long computation times and low efficiency. Fang Zhaoxiong et al. proposed a prediction model based on the Mantid Algorithm to optimize KELM [7], while Liu Qibo et al. proposed a hybrid prediction model combining a clustered self-organizing map network with optimized KELM [8]. Shang Liqun et al. optimized KELM using an improved squirrel search algorithm [9]. KELM has faster training speed and better generalization ability, and has been widely used.

Based on the above, to achieve high-accuracy photovoltaic power prediction, this paper proposes a combined photovoltaic power prediction model based on VMD-MSI-GWO-KELM. By applying the theory of similar days and clustering with the Gaussian Mixture Model (GMM), the model divides meteorological days accurately according to various meteorological factors, and selects historical day data with a high match to the weather factors of the forecast day as training samples to reduce errors. The Variational Mode Decomposition (VMD) algorithm and the improved Grey Wolf Optimizer (MSI-GWO) [10, 11] are used to optimize KELM for constructing the photovoltaic power prediction model. The results of testing show that the proposed method is suitable for accurately identifying weather types, achieving high prediction accuracy and robustness.

2. Selection of similar days

2.1. Factors affecting photovoltaic power generation

Photovoltaic power is mainly affected by various meteorological factors such as temperature, humidity, and radiation. The meteorological factors that have a greater impact on photovoltaic power generation should be selected first. This can be done through correlation analysis of the variables. The Spearman correlation coefficient ranks the data and assigns an average rank for identical values. This coefficient measures the correlation between two variables, and its calculation formula is as follows:

$$\rho = \frac{\sum_{i=1}^N (X_i - \bar{X})(Y_i - \bar{Y})}{\sqrt{\sum_{i=1}^N (X_i - \bar{X})^2 \sum_{i=1}^N (Y_i - \bar{Y})^2}} \quad (1)$$

Where N represents the total number of observed samples, X_i, Y_i denote the rank values of the data. \bar{X}, \bar{Y} refer to the mean ranks of the data.

The meteorological factors analyzed in this study include: temperature, humidity, total radiation, scattering, wind speed, rainfall, photovoltaic system efficiency, and horizontal radiation. The Spearman correlation coefficients are listed in Table 1.

Table 1. Correlation Coefficients

Wind Speed	Temperature	Horizontal Radiation	Wind Direction	Maximum Wind Speed	Atmospheric Pressure	Sunlight Intensity
0.1456	0.4352	0.4256	-0.1581	0.2209	-0.2153	0.4072

Since the correlation between wind speed and wind direction is weak, but the correlation between temperature, radiation, maximum wind speed, atmospheric pressure, and sunlight intensity scattering is strong, these five major features are included in the photovoltaic power prediction model.

2.2. Selection of similar days using the Gaussian Mixture Model (GMM)

Photovoltaic power has a strong correlation with meteorological factors. The similarity of meteorological data implies that photovoltaic power output will also be highly similar. During prediction, meteorological factors and power sequences of similar days are used as input for the experimental model. The GMM models the data using a linear combination of multiple Gaussian distributions, effectively capturing the multi-peak characteristics of the data. This method is used to cluster photovoltaic and meteorological data, and for obtaining more similar historical days, the mean and standard deviation are used as feature indicators. The five meteorological factors with strong correlations are transformed into daily feature indicators to improve the matching and accuracy of the results. Suppose the number of clusters is K , the steps of GMM are as follows:

Step 1: Initialize the parameters, including the mean μ_0 , covariance Σ_0 and weight ω_0 .

Step 2: Calculate the probability that each sample point Z_i belongs to the k -th distribution.

$$\gamma_k(Z_i) = \frac{\omega_k N(Z_i | \mu_k, \Sigma_k)}{\sum_{k=1}^K \omega_k N(Z_i | \mu_k, \Sigma_k)} \quad (2)$$

Where $N(Z_i | \mu_k, \Sigma_k)$ is the Gaussian density function, and $\mu_k, \Sigma_k, \omega_k$ are the mean, covariance, and weight for the k -th distribution, respectively.

Step 3: Calculate the parameters for each distribution and update them.

$$\mu_k = \frac{\sum_{i=1}^N \gamma_k(Z_i) (Z_i - \mu_k) (Z_i - \mu_k)^T}{\sum_{i=1}^N \gamma_k(Z_i)} \quad (3)$$

$$\omega_k = \frac{1}{N} \sum_{i=1}^N \gamma_k(Z_i) \quad (4)$$

Step 4 repeats Steps 2 and 3 until convergence to obtain the final clusters.

3. Principles of the prediction model

3.1. Variational mode decomposition

Variational Mode Decomposition (VMD) is an adaptive signal decomposition algorithm that decomposes the original signal into a set of intrinsic mode functions (IMFs) with specific central frequencies and limited bandwidth. This approach captures different

frequency components and trends in photovoltaic (PV) data, providing rich feature information for forecasting. The VMD process consists of the following steps:

Step 1: Apply the Hilbert transform to analyze each independent component of the signal $u_k(t)$. After obtaining the single-sided spectrum, introduce an exponential term to adjust the central frequency ω_k and modulate each component's spectrum to the baseband.

Step 2: Estimate the baseband bandwidth of each mode function $u_k(t)$ by computing the L2 norm of the demodulated signal gradient, thereby constructing a variational model with constraints:

$$\left\{ \begin{array}{l} \min_{\{u_k\}, \{\omega_k\}} \left\{ \sum_k \partial_t \left\| \left[(\delta(t) + \frac{j}{\pi t}) * u_k(t) \right] e^{-j\omega_k t} \right\|_2^2 \right\} \\ \text{s. t. } \sum_k u_k = f \end{array} \right\} \quad (5)$$

Where $\{u_k\}$ and $\{\omega_k\}$ represent the mode set and the central frequency set, respectively; ∂_t denotes the partial derivative concerning t ; $*$ represents the convolution operator; $\delta(t)$ is the unit impulse function; and j is the imaginary unit.

Step 3: Introduce the Lagrange multiplier $\lambda(t)$ and quadratic penalty factor α , to convert the constrained problem into an unconstrained problem, obtaining the augmented Lagrangian objective function:

$$L(\{u_k\}, \{\omega_k\}, \lambda(t)) = \alpha \sum_k \left\| \partial_t \left[\left(\delta(t) + \frac{j}{\pi t} \right) * u_k(t) \right] e^{-j\omega_k t} \right\|_2^2 + \left\| f(t) - \sum_k u_k(t) \right\|_2^2 + \langle \lambda(t), f(t) - \sum_k u_k(t) \rangle \quad (6)$$

Where α ensures signal reconstruction integrity, $\left\| f(t) - \sum_k u_k(t) \right\|_2^2$ is the quadratic penalty, $\langle \cdot, \cdot \rangle$ denotes the inner product operator.

Step 4: Solve the equation using the Alternating Direction Method of Multipliers (ADMM)(10), to iteratively update u_k^{n+1} , ω_k^{n+1} . After VMD processing, the modal time series components of the PV power data K are obtained.

3.2. Kernel Extreme Learning Machine (KELM)

KELM is an improved algorithm based on Extreme Learning Machine (ELM) that replaces random mapping with kernel mapping. By introducing kernel functions, it transforms complex low-dimensional problems into high-dimensional inner product operations [10], enhancing network stability and generalization ability, thus improving prediction accuracy in regression problems. The KELM process is as follows:

Step 1: Given N different samples (x_i, t_i) , $i = 1, 2, \dots, N$, where the number of hidden nodes is L , and the activation function is $g(x)$, the output variable is H , and its formula is as follows:

$$H\beta = T \quad (7)$$

$$H = \begin{pmatrix} g(\omega_1 x_1 + b_1) & \cdots & g(\omega_M x_1 + b_M) \\ \vdots & \cdots & \vdots \\ g(\omega_1 x_N + b_1) & \cdots & g(\omega_M x_N + b_M) \end{pmatrix}_{N \times M} \quad (8)$$

Where β represents the weight matrix of the output layer, T denotes the target output matrix, ω_i and b_i refer to the weights and biases of the hidden layer nodes, respectively.

Step 2: Using the Moore-Penrose generalized inverse and introducing a regularization coefficient C , the least-squares solution is obtained:

$$\beta = H^T (HH^T + \frac{I}{C})^{-1} T \quad (9)$$

Where I is the identity matrix.

Step 3: Introduce a kernel function to replace the random mapping in ELM, defining the kernel function matrix as $\Omega = HH^T$, $\Omega_{(i,j)} = h(x_i)h(x_j) = K(x_i, x_j)$ Common kernel functions include polynomial kernels and linear kernels. Since the Gaussian kernel function demonstrates good adaptability, this study adopts the Gaussian kernel:

$$K(x_i, x_j) = \exp\left(-\frac{\|x_i - x_j\|^2}{g^2}\right) \quad (10)$$

Step 4: Obtain the standard network output value of KELM $y(x)$:

$$y(x) = h(x)\beta = \begin{bmatrix} K(x, x_1) \\ \vdots \\ K(x, x_M) \end{bmatrix} \left(\Omega + \frac{I}{C} \right)^{-1} T \quad (11)$$

Where kernel parameters g balance empirical risk and confidence intervals, while the regularization coefficient C controls the proportion of training error, both of which significantly impact KELM's generalization ability and prediction accuracy.

3.3. Improved Grey Wolf Optimization algorithm (MSI-GWO)

The Grey Wolf Optimization (GWO) algorithm is a meta-heuristic algorithm inspired by the hunting behavior of grey wolves and is effective for solving nonlinear optimization problems. The wolf pack is divided into four hierarchical levels: α (leader and best solution); β (second-best solution assisting α); δ (third-best solution following α and β); ω (subordinate wolves following the top three). This study adopts an improved GWO (MSI-GWO) to optimize the kernel parameters and regularization coefficient in KELM [12, 13].

Given a grey wolf population of N , the hunting behavior of GWO is described as follows:

(1) Encircling behavior: When a grey wolf detects prey, the pack surrounds it:

$$D = |C \cdot X_p(t) - X(t)| \quad (12)$$

$$X(t+1) = X_p(t) - A \cdot D \quad (13)$$

Where t is the current iteration, D represents the distance between the wolf and prey, A , C are coefficient vectors, and X and X_p denote the position vectors of the prey and wolf, respectively.

$$\begin{cases} A = 2a(r_1 - 1) \\ C = 2r_2 \end{cases} \quad (14)$$

$$a = 2 - 2 \cdot \frac{t}{t_{max}} \quad (15)$$

Where r_1, r_2 are random vectors, a represents the convergence factor, t_{max} denotes the maximum number of iterations.

(2) Hunting Behavior: After the grey wolves encircle the prey, the positions α, β, δ —denoted as the optimal search positions $X_\alpha, X_\beta, X_\delta$ —are used to continuously approach the prey.

$$\begin{cases} D_\alpha = |C_1 \cdot X_\alpha(t) - X(t)| \\ D_\beta = |C_2 \cdot X_\beta(t) - X(t)| \\ D_\delta = |C_3 \cdot X_\delta(t) - X(t)| \end{cases} \quad (16)$$

$$\begin{cases} X_1(t+1) = X_\alpha(t) - A_1 D_\alpha \\ X_2(t+1) = X_\beta(t) - A_1 D_\beta \\ X_3(t+1) = X_\delta(t) - A_1 D_\delta \end{cases} \quad (17)$$

$$X(t+1) = \frac{X_1(t+1) + X_2(t+1) + X_3(t+1)}{3} \quad (18)$$

Where X_1, X_2, X_3 represent the new positions of the wolves ω .

MSI-GWO improves GWO through nonlinear parameter adjustment, dynamic weight updates, and wavelet perturbation for optimal solutions, enhancing population diversity and improving convergence speed and optimization accuracy.

(1) Dynamic weight-based position updating improvement:

$$\begin{cases} X_1(t+1) = \frac{|X_\alpha|}{|X_\alpha| + |X_\beta| + |X_\delta|} \\ X_2(t+1) = \frac{|X_\beta|}{|X_\alpha| + |X_\beta| + |X_\delta|} \\ X_3(t+1) = \frac{|X_\delta|}{|X_\alpha| + |X_\beta| + |X_\delta|} \end{cases} \quad (19)$$

$$X(t+1) = \frac{X_1(t+1) + X_2(t+1) + X_3(t+1)}{3} \quad (20)$$

The Morlet wavelet is applied to X_α for optimal solution perturbation, generating a new grey wolf individual X_α . The fitness value of X_α is then calculated. If it is smaller than the fitness value of X_α , then X_α replace X_α and joins the population.

$$X_\alpha = \sigma X_\alpha + r(l + u + \sigma X_\alpha) \quad (21)$$

Where u, l represent the upper and lower limits of X_α ; r is a random number in the range $[0,1]$; σ denotes the wavelet sequence.

(3) Nonlinear parameter adjustment improves the convergence rate:

$$a = a_{initial} \left(1 - \lg\left(1 + \left(\frac{t}{T}\right)^2\right)\right) / \lg 2 \quad (22)$$

Where $a_{initial}$ is the initial value of a .

The algorithm performs well in global search problems and exhibits strong convergence. Therefore, the MSI-GWO algorithm is selected in this study to optimize the kernel parameter g and regularization coefficient C introduced in KELM.

3.4. Short-term photovoltaic power prediction model

The prediction process based on VMD-MSIGWO-KELM is as follows:

Step 1: Preprocess the raw data, correcting outliers, including PV power and meteorological data.

Step 2: Analyze correlations among five meteorological factors using Spearman's coefficient and select feature vectors.

Step 3: Use Gaussian Mixture Model (GMM) clustering to identify similar days and classify weather conditions (sunny, cloudy, rainy), splitting data into training and testing sets.

Step 4: Decompose similar-day samples into multiple frequency sub-series using VMD and establish separate KELM models.

Step 5: Optimize KELM parameters using MSI-GWO.

Step 6: Reconstruct the predicted sub-series to obtain the final PV power prediction results.

4. Case study

4.1. Evaluation metrics

To quantitatively assess the prediction accuracy of different models, this study adopts three evaluation metrics: Root Mean Square Error (RMSE), Mean Absolute Error (MAE), and the coefficient of determination R^2 which provide a comprehensive assessment of the predictive performance of different models. The specific formulas are as follows:

$$X_{\text{RMSE}} = \sqrt{\frac{\sum_{i=1}^n (y_i - y_i^0)^2}{n}} \quad (23)$$

$$X_{\text{MAE}} = \frac{\sum_{i=1}^n \left| \frac{y_i - y_i^0}{y_i} \right|}{n} \quad (24)$$

$$R^2 = 1 - \frac{\sum_{i=1}^n (y_i - y_i^0)^2}{\sum_{i=1}^n (y_i - \bar{y})^2} \quad (25)$$

Where y_i represents the actual value, y_i^0 represents the predicted value, and \bar{y} denotes the mean of the actual values.

4.2. Data sources and processing

To validate the accuracy and effectiveness of the proposed model and method, this study conducts simulation experiments using real-world PV power data from Australia in 2021. Since PV generation primarily occurs during daylight hours, while nighttime irradiance is nearly zero, the dataset includes historical meteorological parameters and PV output from 06:40 to 19:40, with a time interval of 5 minutes, resulting in a total of 10,970 data points. Any anomalies in the data were corrected using interpolation.

The Spearman correlation coefficient was first used to identify key meteorological factors affecting PV generation. Next, a Gaussian Mixture Model (GMM) was applied to cluster the preprocessed PV and meteorological data, ultimately categorizing the dataset into three distinct weather conditions: Sunny days: 42 instances; Cloudy days: 25 instances; Rainy days: 25 instances. From each weather category, three days were randomly selected as test days to validate the prediction model, while the remaining time series data formed the similar-day sample library.

The VMD method was then applied to smooth the similar-day samples corresponding to different weather types. The parameters were set as follows: Penalty parameter (α)=200, Initial central frequency (ω_0)=1, Convergence tolerance (τ)= 1×10^{-7} . After multiple simulations, five mode decompositions ($k=5$) were selected to obtain regular and non-overlapping sub-series. These sub-series were used as training data for model development. For example, the decomposition results for cloudy-day PV power are shown in Figure 1. The original sequence exhibits an obvious trend, where IMF1 is the dominant component, characterized by low frequency and smooth curves, effectively capturing the overall PV generation trend. The remaining components represent localized features of PV power variations.

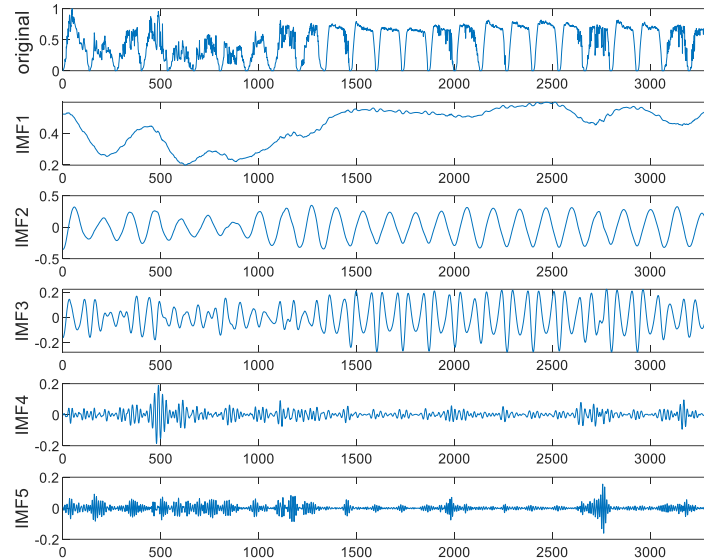


Figure 1. IMF Sub-sequences

4.3. Prediction results analysis

To further validate the accuracy and effectiveness of the proposed VMD-MSI-GWO-KELM prediction model, comparative experiments were conducted with: Single prediction model: KELM; Hybrid prediction models: VMD-KELM and VMD-newGWO-KELM. For the non-optimized KELM model, the kernel parameter g and regularization coefficient C were set to 1000 and 100, respectively. The GWO, MSI-GWO, and BWO algorithms were configured with a population size N of 20 and a maximum of 100 iterations T_{max} . To enhance prediction efficiency and minimize interference from different feature magnitudes, all historical sample data were normalized to ensure consistent input features. The model was trained using PV power output and the five most relevant meteorological factors, predicting PV power under three different weather conditions: sunny, cloudy, and rainy (Figure 2-4). The output was the time-series PV power generation for the target test day.

The RMSE, MAE, XMAPE, and R^2 evaluation metrics for different models under different weather conditions are presented in Table 2, while Figure 3 illustrates the fitting curve for cloudy weather. All four prediction models effectively forecast PV power generation. However, the hybrid models outperform the single prediction model (KELM), demonstrating the advantages of VMD-based feature extraction and optimization algorithms. Among the hybrid models, the proposed VMD-MSI-GWO-KELM model achieves the highest prediction accuracy, further improving forecasting precision compared to other models.

Table 2. Evaluation Metrics for Various Prediction Models

Weather	Prediction Model	RMSE	MAE	R^2
Sunny	KELM	0.066	0.046	92.8%
	VMD-KELM	0.069	0.049	92.3%
	VMD-newGWO-KELM	0.065	0.046	93.2%
	VMD-MSIGWO-KELM	0.056	0.038	95.1%
Cloudy	KELM	0.050	0.030	96.3%
	VMD-KELM	0.055	0.033	95.6%
	VMD-newGWO-KELM	0.047	0.027	96.5%
	VMD-MSIGWO-KELM	0.045	0.027	97.1%
Rainy	KELM	0.097	0.064	79.3%
	VMD-KELM	0.102	0.069	77.3%
	VMD-newGWO-KELM	0.105	0.071	77.4%
	VMD-MSIGWO-KELM	0.092	0.058	81.8%

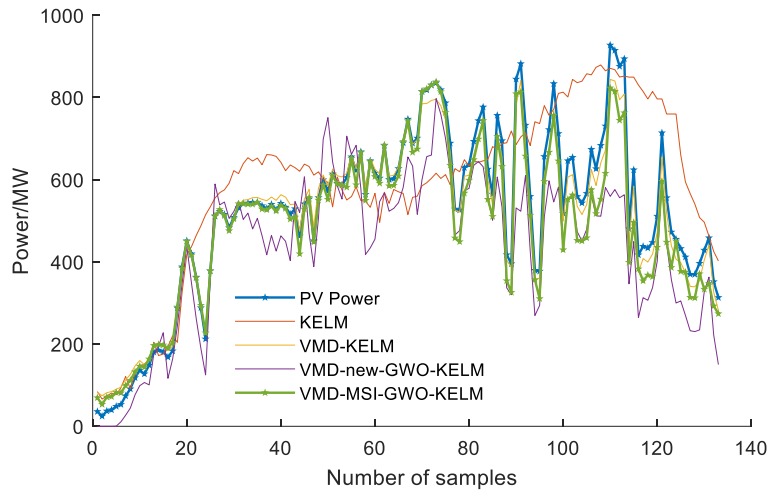


Figure 2. Comparison of Models for Sunny Weather

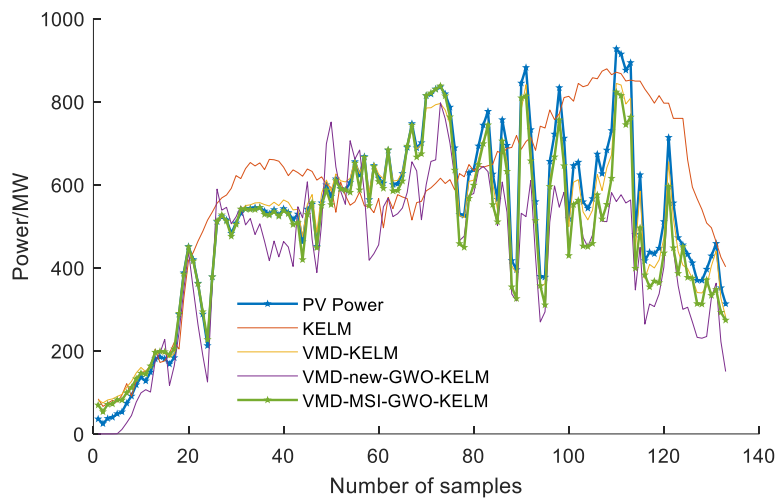


Figure 3. Comparison of Models for Rainy Weather

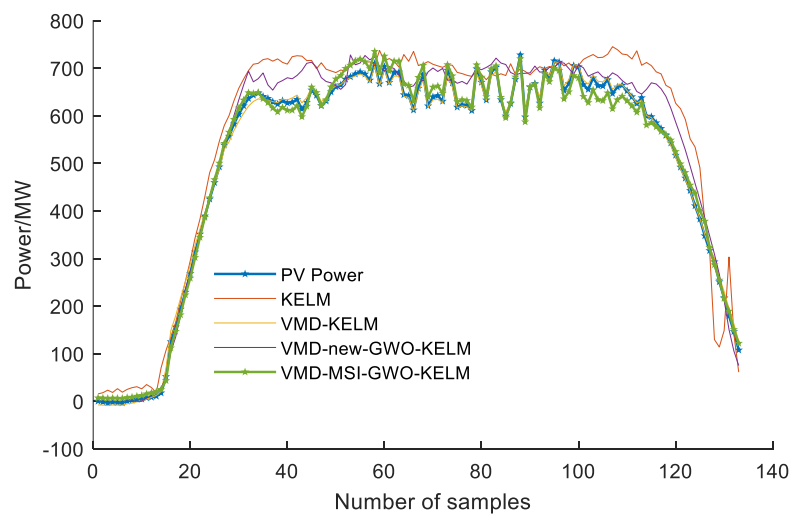


Figure 4. Comparison of Models for Cloudy Weather

5. Conclusion

This paper proposes a combined photovoltaic power prediction model, GMM-MSI-GWO-KELM, and verifies the effectiveness of this method through actual measured data.

1) The factors affecting photovoltaic power generation are selected, and similar days are chosen based on the GMM clustering results, further improving the similarity between the similar days and the forecast day.

2) A photovoltaic power prediction model based on VMD-MSI-GWO-KELM is constructed, and the parameters of KELM are optimized using a multi-strategy improved Grey Wolf Optimizer (MSI-GWO), improving both the iteration speed and prediction accuracy.

The effectiveness and accuracy of the proposed combined prediction model are verified through case studies. This prediction system demonstrates excellent performance under various weather conditions, providing a reliable technical guarantee for the accurate prediction of photovoltaic power generation and the smooth operation and scheduling optimization of grid-connected systems.

References

- [1] Ai, L., Si, J. L., & Chen, X. J. (2024). Current development status and prospects of China's photovoltaic power generation industry [J/OL]. *Hydropower Generation*, 1-6 [2025-03-20]. <http://kns.cnki.net/kcms/detail/11.1845.TV.20250319.1742.006.html>
- [2] Wang, S. B., Wang, K., & Sun, S. M. (2025). Analysis and review of ultra-short-term photovoltaic power forecasting technology [J]. *Shandong Electric Power Technology*, 52(02), 55-64. DOI:10.20097/j.cnki.issn1007-9904.2025.02.006
- [3] Wang, R., Zhang, L. T., & Lu, J. (2024). Short-term photovoltaic power forecasting based on novel similar-day selection and VMD-NGO-BiGRU [J]. *Journal of Hunan University (Natural Sciences)*, 51(02), 68-80. DOI:10.16339/j.cnki.hdxzbzkb.2024227
- [4] Feng, J. M., Xi, W. A., & Lin, H. (2025). Short-term photovoltaic power forecasting based on clustering SABO-VMD and combined neural network [J]. *Acta Energetica Solaris Sinica*, 46(02), 357-366. DOI:10.19912/j.0254-0096.tynxb.2023-1681
- [5] Yao, Q. C., Xiang, W. G., & Chen, S. Y. (2025). Photovoltaic power forecasting based on ICEEMDAN-KPCA-ICPA-LSTM [J]. *Journal of Power Engineering*, 45(03), 374-382. DOI:10.19805/j.cnki.jcspe.2025.230777
- [6] Meng, Y. K., Xu, Y., & Wang, X. P. (2024). Study on combined forecasting model of photovoltaic output based on similar-day selection and PCA-LSTM [J]. *Acta Energetica Solaris Sinica*, 45(07), 453-461. DOI:10.19912/j.0254-0096.tynxb.2023-0498
- [7] Fang, C. X., Zheng, J. Y., & Zhang, Z. H. (2025). Distributed photovoltaic power forecasting method based on similar-day selection and VMD-DBO-KELM [J/OL]. *High Voltage Technology*, 1-11 [2025-03-20]. <https://doi.org/10.13336/j.1003-6520.hve.20240792>
- [8] Liu, Q. B., & Li, J. (2024). Short-term photovoltaic power forecasting based on SOM-FCM and KELM combination method (English) [J]. *Journal of Measurement Science and Instrumentation*, 15(02), 204-215
- [9] Shang, L. Q., Li, H. B., Hou, & Y. D. (2022). Short-term photovoltaic power forecasting based on VMD-ISSA-KELM [J]. *Power System Protection and Control*, 50(21), 138-148. DOI:10.19783/j.cnki.pspc.220140
- [10] Long, J., Zuo, S. L., & Xu, L. (2024). Dam deformation prediction model based on influencing factor selection and GWO-KELM [J]. *China Rural Water and Hydropower*, (08), 194-199+207
- [11] Chen, M., Chen, Y., & Niu, X. L. (2022). Multi-strategy improved grey wolf algorithm for solving global optimization problems [J]. *Foreign Electronic Measurement Technology*, 41(11), 22-29. DOI:10.19652/j.cnki.femt.2204260
- [12] Zhai, M. Q. (2022). Two-stage structural damage identification method based on improved grey wolf algorithm and artificial neural network [D]. Xiamen University. DOI:10.27424/d.cnki.gxmd.2022.001599
- [13] Yang, C., Niu, F. J., & Han, M. L. (2025). Research on photovoltaic array fault diagnosis method based on improved grey wolf algorithm optimized extreme learning machine [J]. *Power Generation Technology*, 46(01), 72-82